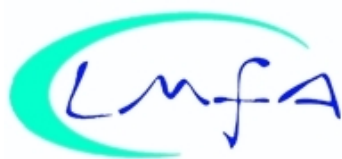


# Scalar Injection and Turbulence

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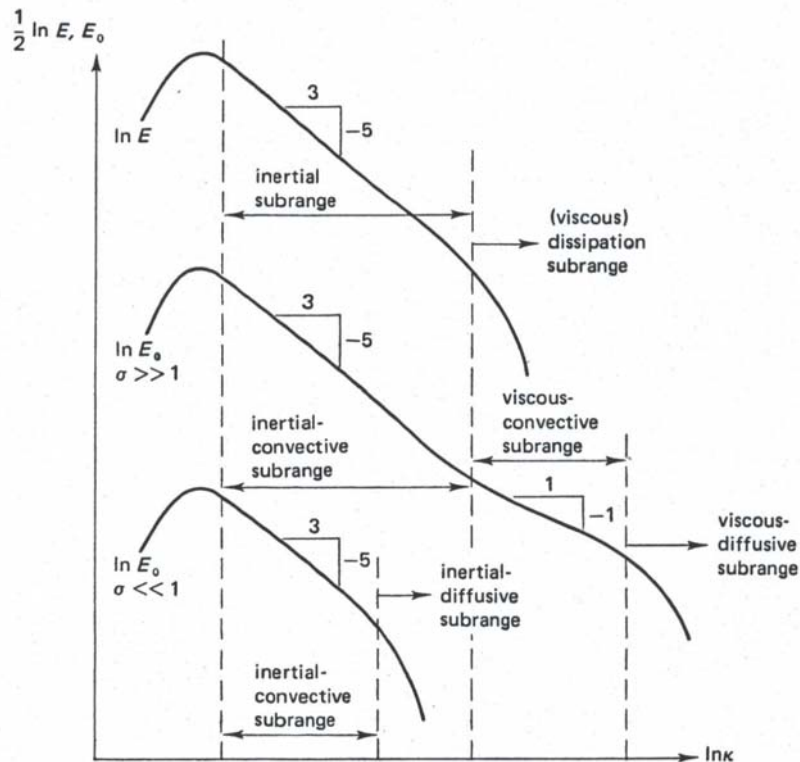
- The passive scalar problem

a quantity  $\theta$  (temperature or concentration) is advected by a turbulent velocity field  $u$  without any action on it

$$\frac{\partial \theta}{\partial t} + u \cdot \nabla \theta = D \Delta \theta$$

Two connected problems for applications : **mixing**  
and **injection**

## The passive scalar problem



From Tennekes, Lumley, 1972

Classical vision : cascade process

**mixing :**

how to quench scalar inhomogeneities  $\rightarrow$  small scales

**injection:**

how to collect scalar  $\rightarrow$  large scales  $\rightarrow$  not universal ?

## *How to inject a scalar ?*

### **In Experiments**

#### **mixing layer :**

a secondary flow provide scalar

#### **boundary layer:**

scalar is collected from a solid  
(temperature, melting,...)

**radiation** : microwave heating

...

### **In Numerics**

#### **stochastic seeding :**

a stochastic scalar field is given  
as initial condition or added at  
each time step

#### **mean scalar gradient:**

a large scalar gradient is  
maintained, and feed the  
fluctuating scalar field

...

## How to measure precisely scalar injection : building an appropriate sensor

Ceramic substrate Kyocera™  
2.42 cm x 2.42 cm

lateral thick  
Palladium-silver stripes

thin film of Platinum evaporated  
1000 Å

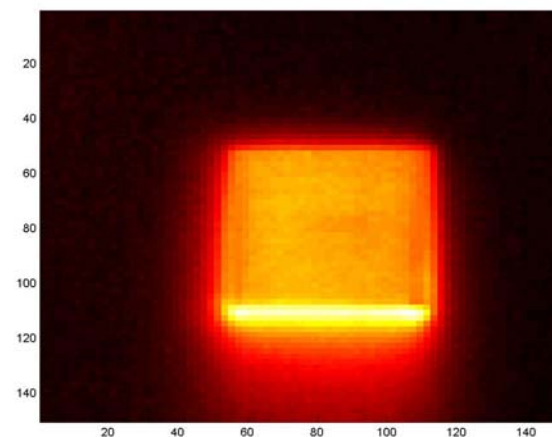
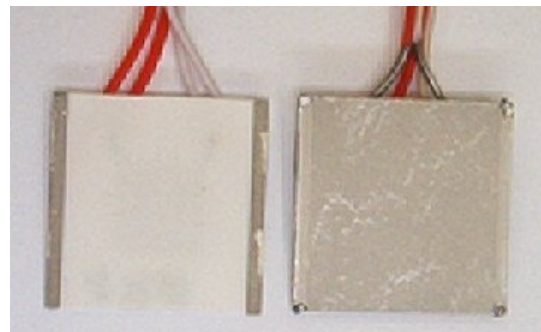
Electronically maintained at constant  
electrical resistance : constant temperature

Correction of thermal losses due to  
radiation or conduction in the surroundings

**Direct measurement of thermal losses,  
i.e. scalar (temperature) injection**

Except for dimensions, similar to hot films  
used for friction measurements

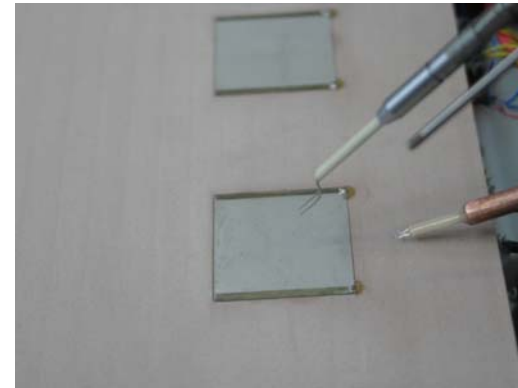
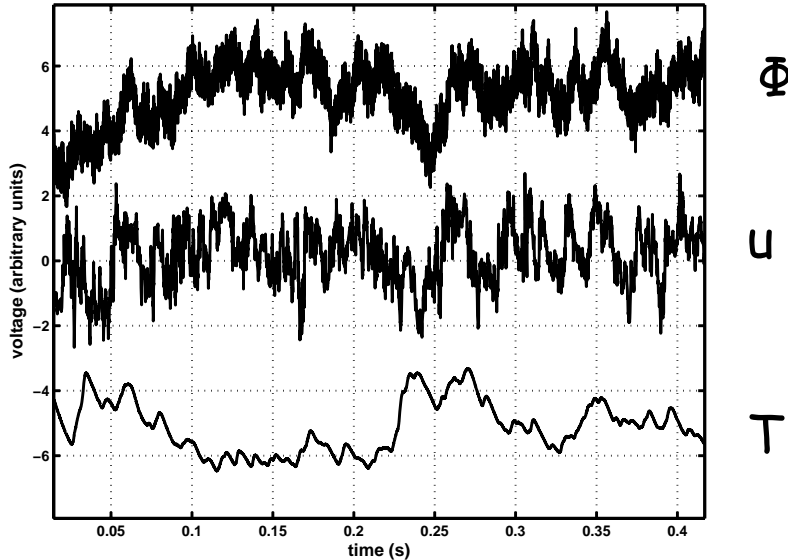
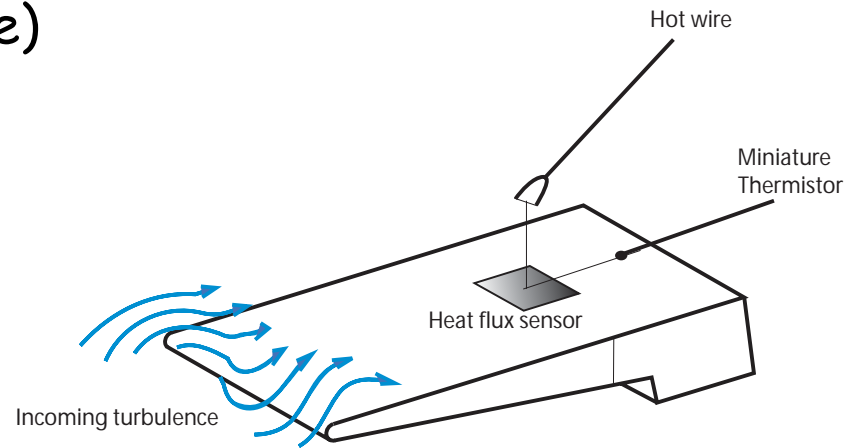
frequency cut-off  $\sim 250$  Hz, temperature control  $\sim 0.1$  K



Sensor is flush mounted on a machined resin support, placed in a turbulent jet (square or flat nozzle)

hot wire to get the incoming velocity fluctuations

temperature sensor to get the injected temperature



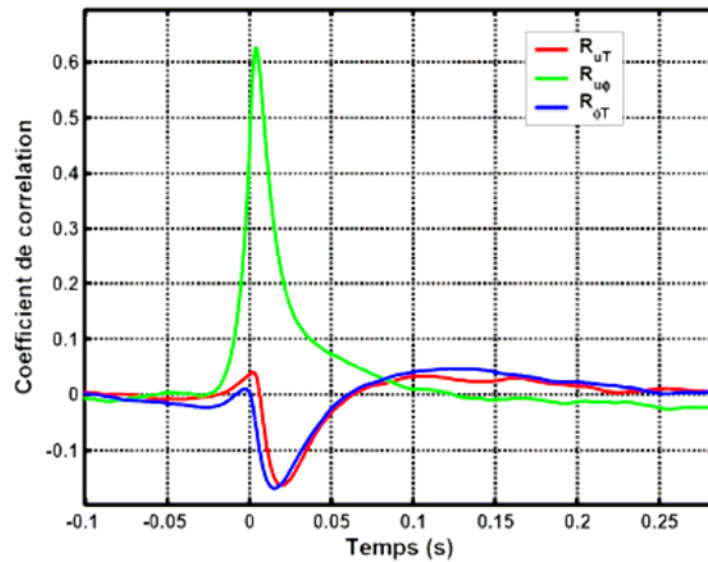
$$\bar{U}_{ext} = 10 \text{ m/s}$$

$$L_{11}^{(3)} = 1.58 \text{ cm}$$

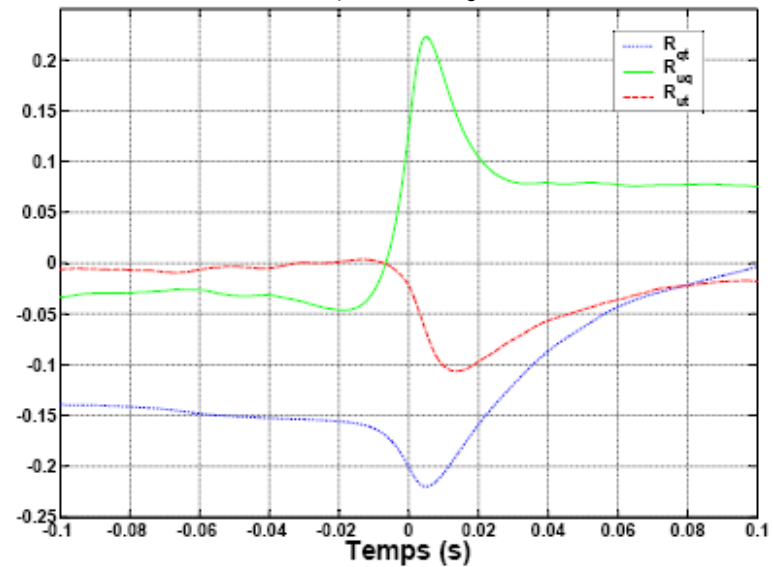
$$Re_L = \frac{\bar{U}_{ext} L_{11}^{(3)}}{\nu} \approx 10^5$$

What about correlations ?

square nozzle



flat nozzle  
(plane jet)



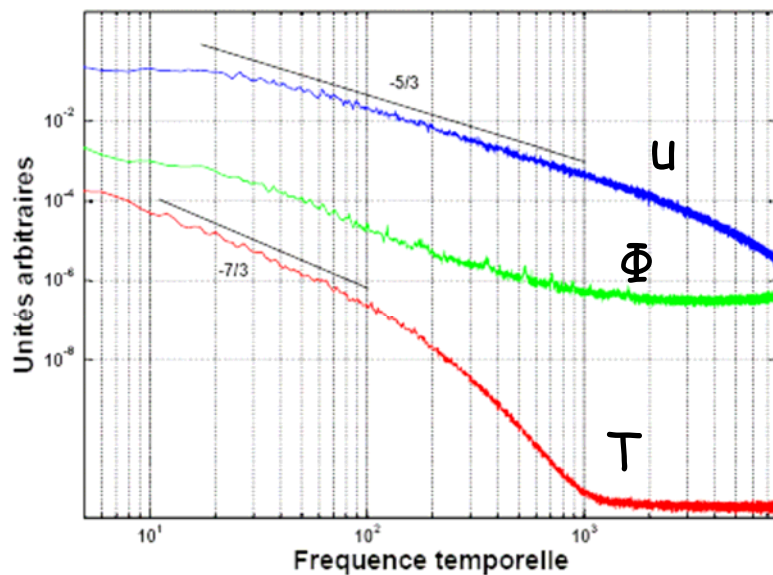
same  $\bar{U}_{ext}$  , same  $Re_\lambda$

No quantitative universality, but common salient features

-> Dependance on coherent structure geometry

## What about temporal spectra ?

power spectrum for incoming velocity and injected temperature,  
amplitude spectra for heat flux



temperature scaling  $f^{-\frac{7}{3}}$

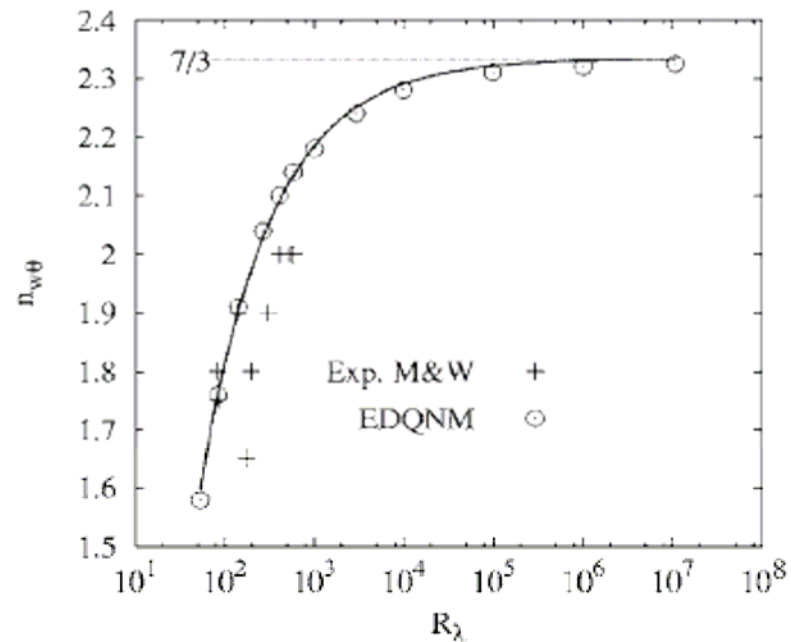
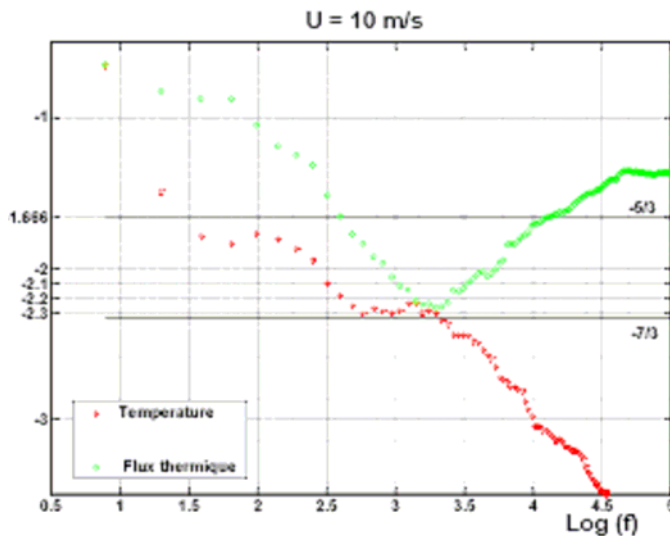
scalar flux  $u\theta$  spectrum in  
homogeneous isotropic turbulence  
with scalar injection by mean  
scalar gradient  $\Gamma$

$$F_{\langle u\theta \rangle}(k) = C \Gamma \varepsilon^{\frac{1}{3}} k^{-\frac{7}{3}}$$



What about temporal spectra ?

looking for a heat flux scaling : mean local slope



# What about temporal spectra ?

looking for a heat flux scaling : mean local slope

